

[ O19-102

[ > **restart:**

> **n:=31;a:=[1]:for i from 1 to 30 do  
aa:=i\*a[i]+(-1)^i;a:=[op(a),aa] od:a;**

$n := 31$

[1, 0, 1, 2, 9, 44, 265, 1854, 14833, 133496, 1334961, 14684570, 176214841, 2290792932,  
32071101049, 481066515734, 7697064251745, 130850092279664, 2355301661033953,  
44750731559645106, 895014631192902121, 18795307255050944540,  
413496759611120779881, 9510425471055777937262, 228250211305338670494289,  
5706255282633466762357224, 148362637348470135821287825,  
4005791208408693667174771274, 112162153835443422680893595673,  
3252702461227859257745914274516, 97581073836835777732377428235481]

> **b:=evalf([seq(a[i]/(i-1)!,i=2..7),seq(a[10\*i+1]/(10\*i)!,i=1..3)]  
);**

$b := [0., 0.5000000000, 0.3333333333, 0.3750000000, 0.3666666667, 0.3680555556,$   
 $0.3678794643, 0.3678794412, 0.3678794412]$

> **f:=exp(-x)/(1-x);ff:=series(f,x=0,32);d:=evalf([coeffs(convert(f  
f,polynomial),x)]:dd:=[seq(d[i],i=2..7),seq(d[10\*i+1],i=1..3)];**

$$f := \frac{e^{(-x)}}{1-x}$$

$$\begin{aligned} ff := & 1 + \frac{1}{2}x^2 + \frac{1}{3}x^3 + \frac{3}{8}x^4 + \frac{11}{30}x^5 + \frac{53}{144}x^6 + \frac{103}{280}x^7 + \frac{2119}{5760}x^8 + \frac{16687}{45360}x^9 + \frac{16481}{44800}x^{10} + \\ & \frac{1468457}{3991680}x^{11} + \frac{16019531}{43545600}x^{12} + \frac{63633137}{172972800}x^{13} + \frac{2467007773}{6706022400}x^{14} + \frac{34361893981}{93405312000}x^{15} + \\ & \frac{15549624751}{42268262400}x^{16} + \frac{8178130767479}{22230464256000}x^{17} + \frac{138547156531409}{376610217984000}x^{18} + \frac{92079694567171}{250298560512000}x^{19} + \\ & \frac{4282366656425369}{11640679464960000}x^{20} + \frac{72289643288657479}{196503623737344000}x^{21} + \frac{6563440628747948887}{17841281393295360000}x^{22} + \\ & \frac{39299278806015611311}{106826515449937920000}x^{23} + \frac{9923922230666898717143}{26976017466662584320000}x^{24} + \\ & \frac{79253545592131482810517}{215433472824041472000000}x^{25} + \frac{5934505493938805432851513}{16131658445064225423360000}x^{26} + \\ & \frac{14006262966463963871240459}{38072970106357874688000000}x^{27} + \frac{461572649528573755888451011}{1254684545727217532928000000}x^{28} + \\ & \frac{116167945043852116348068366947}{315777214062132212662272000000}x^{29} + \frac{3364864615063302680426807870189}{9146650338351415815045120000000}x^{30} + \\ & \frac{277778998066291010992075323719}{755081602771159120084992000000}x^{31} + O(x^{32}) \end{aligned}$$

$dd := [0.5000000000, 0.3333333333, 0.3750000000, 0.3666666667, 0.3680555556,$   
 $0.3678571429, 0.3678794392, 0.3678794412, 0.3678794412]$

```

> permut:=proc(l)
  local n,vu,i,p;
  n:=nops(l);
  vu:=[seq(0,i=1..n)];
  for i from 1 to n do
    if l[i]>-1 and l[i]<n+1 then
      vu[l[i]]:=1;
    fi;
  od;
  p:=product('vu[i]','i'=1..n);
  if p=0 then
    return false
  else
    return true
  fi;
end;

```

```
permut := proc(l)
```

```
local n, vu, i, p;
```

```
n := nops(l);
```

```
vu := [seq(0, i = 1 .. n)];
```

```
for i to n do if -1 < l[i] and l[i] < n + 1 then vu[l[i]] := 1 end if end do;
```

```
p := product('vu[i]', 'i' = 1 .. n);
```

```
if p = 0 then return false else return true end if
```

```
end proc
```

```
> l:=[1,1,2,3]:permut(l);
```

```
false
```

```
> l:=[4,1,5,2,3]:permut(l);
```

```
true
```

```
>
```